

New Computational Table of Physical Parameters for the Moments of Beginning, Inflation, Present, and End of the Universe 2025

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If we observe the Moon, we notice that it revolves around the Earth. The Earth itself is orbiting the Sun, and the Sun revolves around the central black hole of the Milky Way galaxy. As mentioned in previous articles [1], the primary motion in the universe is rotational. Furthermore, we have demonstrated that Hubble's law provides evidence for the existence of rotational motion in the universe. The speed described in Hubble's law is tangential speed, which depends on two factors: the distance from the centre, " $D = r$ " and the Hubble constant, " $H = \omega$ " which represents the constant angular speed [2].

However, our universe also originates from a massive explosion, the Big Bang. This explosion generates linear motion. Therefore, to determine the physical parameters of the universe at different times, it is essential to consider both the rotational motion with constant angular velocity and the linear motion simultaneously. On the other hand, in previous articles [3], using the Monte Carlo method, we have calculated the total energy of the universe (E_T) at the moment of the Big Bang, which was approximately 10^{110} joules. In this article, by applying the principle of energy conservation, we calculate various parameters from the initial moments of the Big Bang, through the end of the cosmic inflationary stage, to the present time, the time of equality between linear and rotational energy, and finally, the end of the universe. The results are presented in a table at the end of this article.

$$E_T = E_r + E_l$$

Here, E_r represents rotational energy, and E_l represents linear energy. By utilising the definitions of linear and rotational energy, these two parameters are expressed in terms of the total mass of the universe, $m = 10^{53} \text{ kg}$; the radius of rotation, r ; the angular velocity (which is constant and equivalent to the Hubble constant $\omega = H = 2.27 \times 10^{-18} \text{ s}^{-1}$); and the linear speed " v_l ":

$$E_T = \frac{1}{2}mr^2\omega^2 + \frac{1}{2}mv_l^2$$

In previous articles [3], we have demonstrated that the universe was a spherical at the time of the Big Bang, with a size somewhere between the Earth and the Moon $r_0 \approx 10^7 \text{ m}$. Given the radius of the universe at the



moment of the Big Bang, the contribution of rotational energy was negligible and could be ignored. Therefore, at the time of the Big Bang, the total energy can be considered to arise entirely from linear motion:

$$\begin{aligned}
 t &= t_0 = 0 \\
 r_0 &\approx 10^7 \text{ m} \\
 v_{r_0} &= r_0 \omega \Rightarrow v_{r_0} = 2.27 \times 10^{-11} \text{ m/s} \\
 E_{r_0} &= \frac{1}{2} m r_0^2 \omega^2 \Rightarrow E_{r_0} \approx 2.58 \times 10^{31} \text{ J} \\
 2.58 \times 10^{31} + \frac{1}{2} m v_{l_0}^2 &= 10^{110} \Rightarrow \frac{1}{2} m v_{l_0}^2 = 10^{110} \\
 \frac{1}{2} (10^{53}) v_{l_0}^2 &= 10^{110} \Rightarrow v_{l_0} = 4.5 \times 10^{28} \text{ m/s}
 \end{aligned}$$

In previous article [4], using the density of the universe, we have calculated the radius of the universe (r_1) at the end of the inflationary phase. Thus, we have:

$$\begin{aligned}
 t &= t_1 = 3 \times 10^{-4} \text{ s} \\
 r_1 &\approx 1.35 \times 10^{25} \text{ m} \\
 v_{r_1} &= r_1 \omega = 1.35 \times 10^{25} \times 2.27 \times 10^{-18} \Rightarrow v_{r_1} \approx 3.06 \times 10^7 \text{ m/s} \\
 E_{r_1} &\approx 4.7 \times 10^{67} \text{ J} \\
 E_T &= E_r + E_l = 10^{110} \Rightarrow E_{l_1} \approx 10^{110} \text{ J} \\
 v_{l_1} &\approx 4.5 \times 10^{28} \text{ m/s}
 \end{aligned}$$

As indicated—and as discussed in previous articles—over time, the amount of linear energy decreases, and an equivalent amount is added to the rotational energy [5]. This implies that at the end of the universe's outward trajectory, when it reaches its maximum radius, all the energy will be converted into rotational energy, and the linear energy will reduce to zero:

$$\begin{aligned}
 t &= t_e = ? \\
 E_{l_e} &= 0 \text{ J} \\
 v_{l_e} &= 0 \text{ m/s}
 \end{aligned}$$



$$\frac{1}{2}mr_e^2\omega^2 + 0 = 10^{110} \Rightarrow r_e = 2 \times 10^{46} \text{ m}$$

$$v_{r_e} = r_e \omega \Rightarrow v_{r_e} \approx 4.5 \times 10^{28} \text{ m/s}$$

$$v_{l_e}^2 - v_{l_0}^2 = 2a_l(r_e - r_0) \Rightarrow 0 - (4.5 \times 10^{28})^2 = 2a_l(2 \times 10^{46} - 10^7) \Rightarrow a_l \approx -5 \times 10^{10} \text{ m/s}^2$$

This represents the average deceleration that reduces the linear velocity (and consequently the linear energy). Thus, in linear motion, we observe a motion with constant negative acceleration.

$$v_{l_e} = a_l t_e + v_{l_0} \Rightarrow 0 = (-5 \times 10^{10})t_e + 4.5 \times 10^{28} \Rightarrow t_e = 9 \times 10^{17} \text{ s} = 28.5 \text{ Byr}$$

Next, we examine the time when the rotational and linear energies are equal:

$$t = t_2 = ?$$

$$E_{l_2} = E_{r_2} = \frac{1}{2} \times 10^{110} \text{ J}$$

$$\frac{1}{2}mr_2^2\omega^2 = \frac{1}{2} \times 10^{110} \Rightarrow r_2 = 1.39 \times 10^{46} \text{ m}$$

$$v_{r_2} = 3.16 \times 10^{28} \text{ m/s}$$

$$v_{l_2} = 3.16 \times 10^{28} \text{ m/s}$$

$$v_{l_2} = a_l t_2 + v_{l_0} \Rightarrow 3.16 \times 10^{28} = (-5 \times 10^{10})t_2 + 4.5 \times 10^{28} \Rightarrow t_2 = 2.67 \times 10^{17} \text{ s} = 8.47 \text{ Byr}$$

We now proceed to analyze the physical parameters of the universe at present.

$$t = t_3 = 13.7 \text{ Byr} = 4.32 \times 10^{17} \text{ s}$$

$$r_3 = \frac{1}{2}a_l t_3^2 + v_{l_0} t_3 + r_0 \Rightarrow r_3 = \frac{1}{2}(-5 \times 10^{10})(4.32 \times 10^{17})^2 + (4.5 \times 10^{28})(4.32 \times 10^{17}) + 10^7 \Rightarrow r_3 = 1.48 \times 10^{46} \text{ m}$$

$$v_{r_3} = r_3 \omega \Rightarrow v_{r_3} \approx 3.35 \times 10^{28} \text{ m/s}$$

$$E_{r_3} = \frac{1}{2}mv_{r_3}^2 \Rightarrow E_{r_3} = 5.62 \times 10^{109} \text{ J}$$

$$E_{l_3} = E_T - E_{r_3} \Rightarrow E_{l_3} = 4.38 \times 10^{109} \text{ J}$$

$$E_{l_3} = \frac{1}{2}mv_{l_3}^2 \Rightarrow v_{l_3} = 2.96 \times 10^{28} \text{ m/s}$$



We present a summary of the results in the table below:

Parameter	Symbol	Big Bang Moment	End of Inflation	Equality of Rotational and Linear Energy	Present	End of Expansion
Time (Byr)	t	0	0	8.47	13.7	28.5
Time (s)	t	0	3×10^{-4}	2.67×10^{17}	4.32×10^{17}	9×10^{17}
Radius From Center (m)	r	10^7	1.35×10^{25}	1.39×10^{46}	1.48×10^{46}	2×10^{46}
Linear Speed (m/s)	v_l	4.5×10^{28}	4.5×10^{28}	3.16×10^{28}	2.96×10^{28}	0
Tangential Speed (m/s)	v_r	2.27×10^{-11}	3.06×10^7	3.16×10^{28}	3.35×10^{28}	4.5×10^{28}
Linear Energy (J)	E_l	10^{110}	10^{110}	5×10^{109}	4.38×10^{109}	0
Rotational Energy (J)	E_r	2.58×10^{31}	4.7×10^{67}	5×10^{109}	5.62×10^{109}	10^{110}
Linear Acceleration (m/s^2)	a_l	-5×10^{10}				

References:

- [1] [Saleh, Gh. "A New Explanation for the Repeating Nested Helical Path of Motion; from the Smallest Particles of Existence, Photons, to Moons, Planets, Stars, Galaxies, etc.!" *APS April Meeting Abstracts*. Vol. 2024. 2024.](#)
- [2] [Saleh, Gh. "Hubble's Law or the Rotational Speed of the Universe Calculation." *APS Texas Sections Fall Meeting Abstracts*. 2023.](#)
- [3] [Saleh, Gh. "A new theory to explain the dark energy \(based on the Monte Carlo technique\)." *11th International Conference on Engineering Mathematics and Physics \(ICEMP 2022\)*. 2022.](#)
- [4] Saleh, Gh. "New Discoveries Using the Density of Galaxies in Universe 2025 (Elya Phenomenon)." Saleh Theory, 20 Jan. 2025, <https://www.saleh-theory.com/article/new-discoveries-using-the-density-of-galaxies-in-universe-2025-elya-phenomenon>
- [5] [Saleh, Gh. "The justification of the sphericity and the rotation of the Universe by Hubble's law." *American Astronomical Society Meeting Abstracts*. Vol. 55. No. 2. 2023.](#)

